N93-28171 Space Engineering Research Center

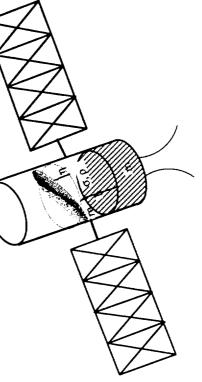


MIDDECK 0-GRAVITY DYNAMICS EXPERIMENT (MODE)

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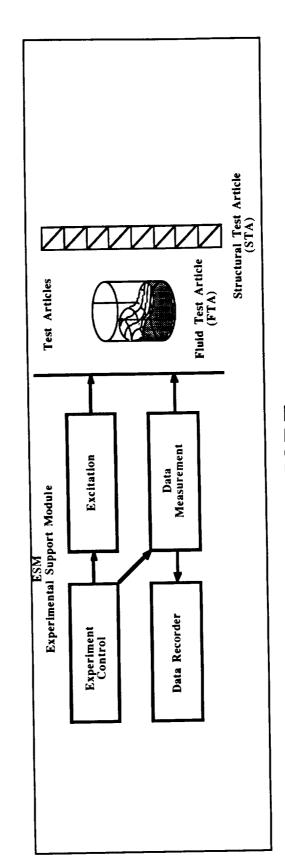


OUTLINE

- MODE and its Rationale
- Program Objectives
- Science Overview
- Truss structures Contained fluids
- Experimental Design
- Structures
- Contained Fluids
- Progress to date
- Component Tester
- ESM, STA and FTA
- Schedule

MODE and its Rationale

- An experiment that investigates the nonlinear characteristics of two important components of spacecraft
- Nonlinear dynamics of truss structures
- Nonlinear dynamics of contained fluids



MODE

- Why investigating the dynamics of truss structures?
- Nonlinear dynamics of jointed space structures can alter the vibrational/acoustical characteristics of a space
 - This behavior is important for:
- On-board micro-gravity experiments
- Passive damping characteristics of "open-loop" structures
- Closed-loop stability and performance of controlled structures
- Little experimental data is available on how gravity effects the dynamic characteristics of jointed space structures and models are not verified

MODE and its Rationale (Continued)

- Why investigating the dynamics of contained fluids?
- Large fluid/spacecraft mass fractions are desirable
- Dynamics of contained fluids in space are inherently different from their behavior in 1-g
- The traditional "linearized or small amplitude" approach, cannot be used since

Bifurcation instabilities and non-deterministic motion also The motion resulting from large amplitude vibrations significantly departs from the linear behavior

degrees-of-freedom to yield nonlinear spacecraft modal Nonlinear fluid motion interacts with the spacecraft behavior

The existing linear/quasi-nonlinear models are inadequate control designs for spacecraft's with on-board fluids to gravity conditions. This leads to conservative attitude and new nonlinear models are not validated for zeroavoid instabilities

Program Objectives

- For space structures?
- To establish a database of the dynamic response behavior of structures with typical space structure-components
 - To develop a nonlinear model for the spacecraft's zerogravity nonlinear structural resonant and transient response characteristics
- To use the results/model to understand and model how the nonlinear characteristics will alter the spacecraft's vibration/acoustics characteristics
 - influence of gravity effects on the modal characteristics Identify the limitations of earth modal testing given the
- structures and robust and optimal structural controllers. Use the knowledge and models to design optimal

Program Objectives (Continued)

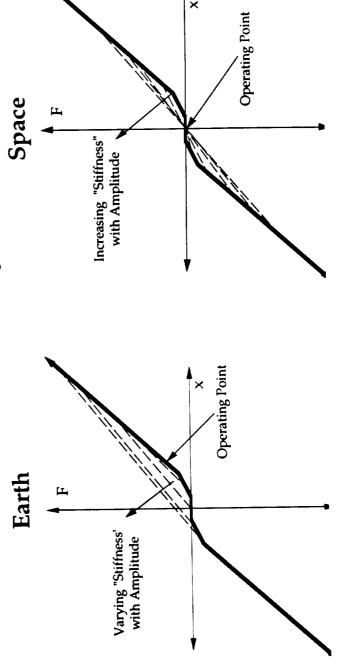
- For the contained fluids?
- the nonlinear dynamic characteristics of contained fluids To obtain the "missing" data point. The measurement of in zero-gravity
- To understand how the nonlinear fluid dynamics interact with the motion of the spacecraft
 - To use the experimental results to verify the nonlinear model developed at MIT
- confidence design optimal and robust attitude controllers -To establish a design tool with which designers can with even for spacecraft with high fluid/spacecraft mass

Gravity effects that alter the modal characteristics of truss structures Science Overview (Truss Structures)

Gravity loading which scales with:

 $\frac{Gravity Load}{Pre-Load}$

Nonlinear Joint



Gravity alters
the operating
point and,
therefore, the
apparent
stiffness and
damping of
joints and
tensioning wires

Similar for tensioning wires

Gravity field also alters the modal characteristics (frequency and mode shapes) of the structure. This effect scales with:

$$\frac{g / L_{Suspension}}{\omega^2} = \frac{\omega_{Pendulum}^2}{\omega_{1st}^2}$$

characteristics are observed for a 6 foot long structure if where ω_{1st}^2 is the 1 st modal frequency of interest. For example; significant changes in the modal the natural frequency is less than 1 Hz.

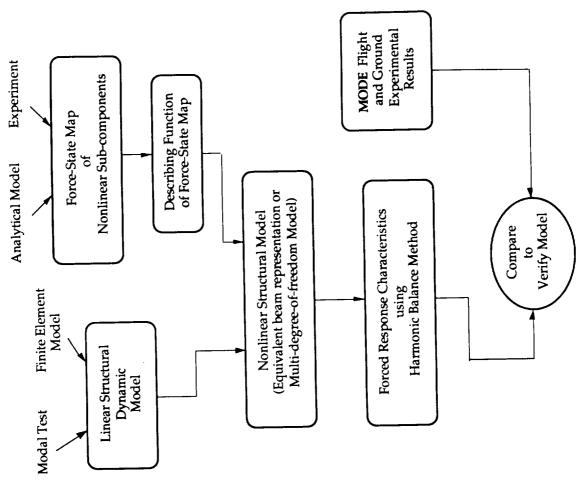
- Suspension of the structure changes the boundary conditions:
- On earth, free-free boundary conditions are simulated by suspending the structure with a very flexible suspension
- Effect scales with:

$\omega_{Suspension}$

 ω_{1st}

- Need suspension frequency 1 order of magnitude lower than 1 st natural frequency of structure.
 - 0.1 Hz suspension frequency can be achieved with stateof-the-art suspension systems.

Modelling Approach

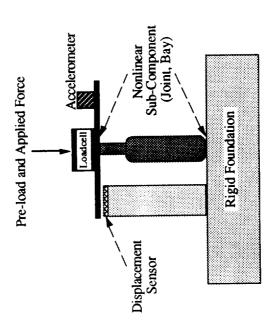


Characterization of the Nonlinear Components

Force transmitted by a nonlinear structural component is:

$$F_t(x, \dot{x}) = F - M\ddot{x} = D(x, \dot{x})\dot{x} + K(x, \dot{x})x$$

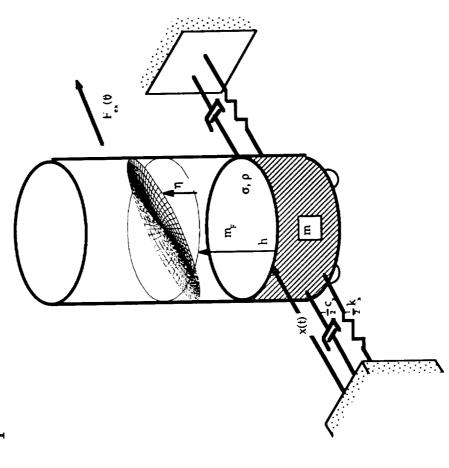
- function of the states of the component) of nonlinear sub-Model requires a force-state map (Force transmitted as a components
- Typical measurement of the force-state characteristics



Science Overview (Contained Fluids)

Major sources of nonlinearities in the dynamics of contained fluids

Potential energy stored in surface tension is a nonlinear function of the amplitude of motion



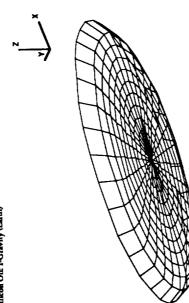
Simplified Nonplanar Model

Let
$$\eta(r,\theta,t) = f(r,\theta) + \eta_d(r,\theta,t)$$

f is the function that describes the equilibrium free surface

For example the equilibrium fluid shape of Silicone Oil in a 3.1 cm cylindrical tank

Silicon Oik 1-Gravity (Earth)



Silicon Oil: 0-Cravity (Space)

Space

The surface tension potential energy is given by Earth

$$U_{\sigma} = \sigma \iint_{\Omega} \sqrt{1 + \nabla (f + \eta_d)^{\bullet} \nabla (f + \eta_d)} dS$$

Effect scales with the Bond number $Bo = \frac{\rho ga^2}{}$

2 Convection forces at the free surface

$$\frac{\partial \eta}{\partial t} + \nabla \phi \bullet \nabla \eta \Big|_{z=\eta} = \frac{\partial \phi}{\partial z} \Big|_{z=\eta}$$

Dirichlet or Neumann time dependent boundary condition

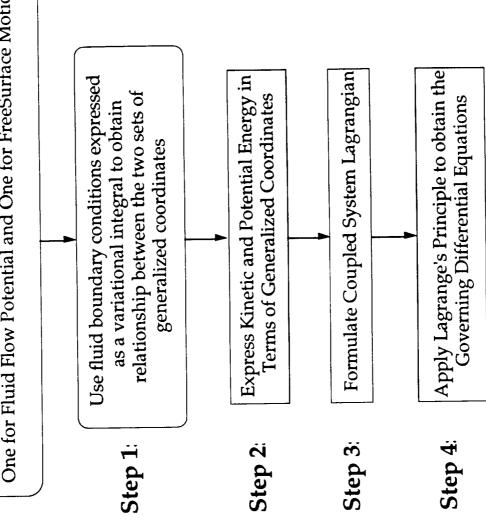
"The internal fluid must follow the motion of the free surface"

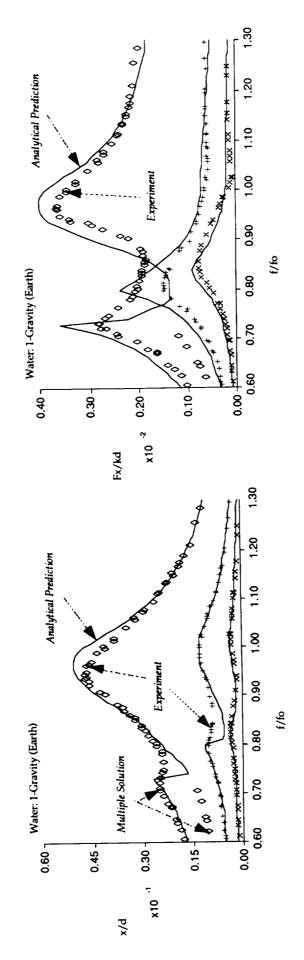
This boundary condition is also dependent on the equilibrium free surface

$$\frac{\partial \eta}{\partial t} = \frac{\partial \phi}{\partial z} \Big|_{z=\eta} - \nabla \phi \cdot \nabla (\eta_d + f) \Big|_{z=\eta}$$

Even when linearized $\frac{\partial \eta}{\partial t} = \frac{\partial \phi}{\partial z} - \frac{\partial f}{\partial r} \frac{\partial \phi}{\partial r}$



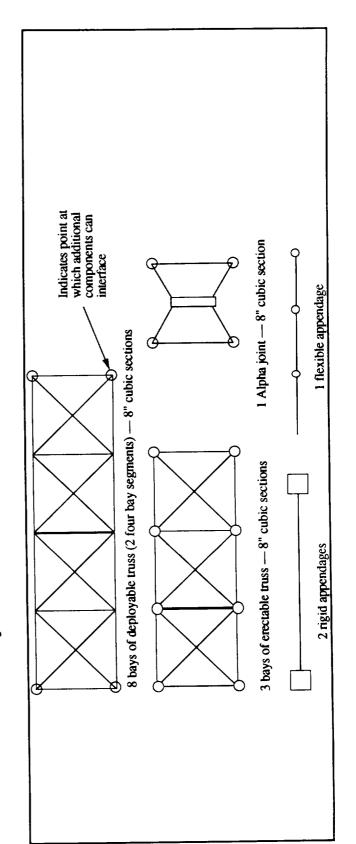




Measured and Predicted One-Gravity Results for a Cylindrical Tank with Water. Tank Diameter=3.1 cm. μ =0.16, v=0.89, ζ =9.1%, Bo=33, fo = 7 Hz)

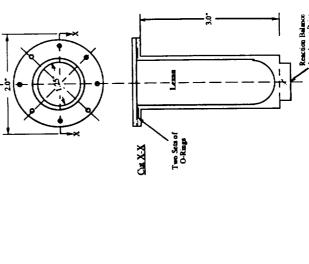
Experimental Design (Structures)

- Scaled models of prototypical space truss structures
- Deployable bays with a bay with variable pre-tension and nonlinear joints
 - Erectable bays
- Scaled Alpha (α) joint
- . Very flexible appendage (1 Hz)



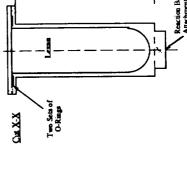
Experimental Design (Contained Fluids)

- Scaled tanks of prototypical spacecraft fluid containers
- Cylindrical tank with a flat bottom
- Cylindrical tank with a spherical bottom
- Fluids matching the properties of typical cryogenics
- Silicone oil (Potential stability problem)
- Water as a backup
- Both are non-toxic and non-flammable



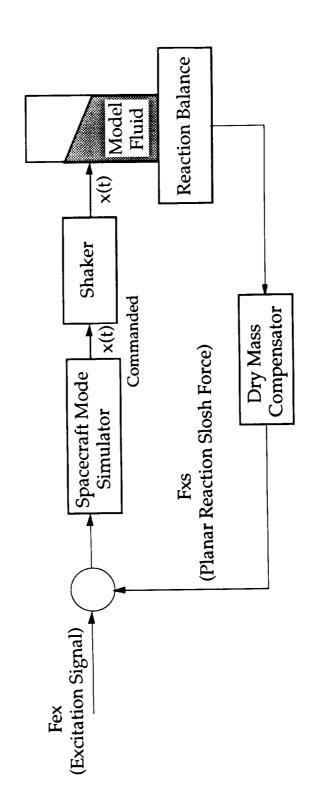
Two Sets of O-Rings

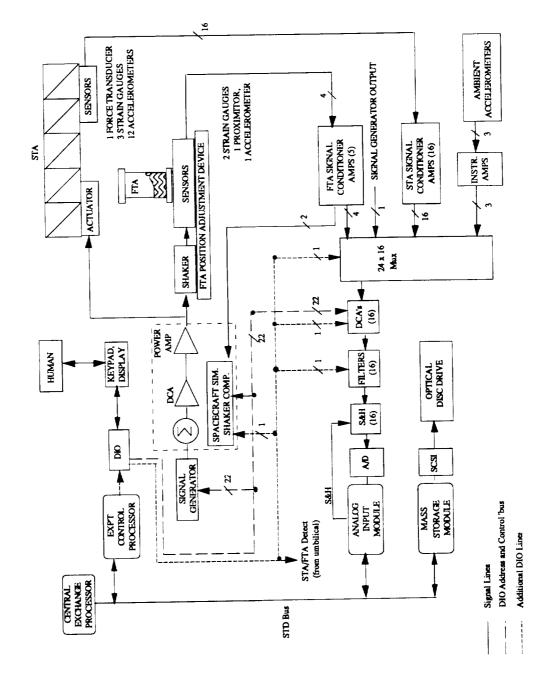
Cut X-X



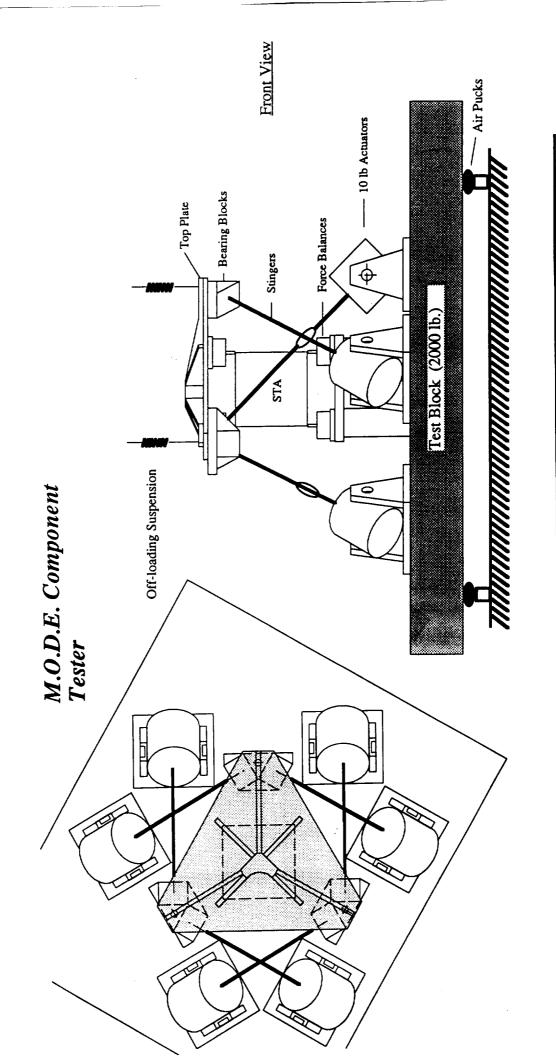
Experimental Design (Contained Fluids - Cont.)

Fluid/Spacecraft interaction studied by including an analog simulation of a spacecraft's mode





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